Educational Epiphany ™ Districtwide PLC Protocol for Mathematics

Teacher/Teacher Team: Grade/Course: Algebra 2 Date: Week of August 29, 2022

#	Planning Question	Teacher/Teache	r Team Response
	Algebra 2 Coherence Tool: Access the foundational standards to make connections to previously taught skills during the lesson introduction.		
1	Which state standard is	Lesson 2.1 – Vertex Form of a Quadratic Function	Lesson 2.2 – Standard Form of a Quadratic
l '	your lesson progression	A2.F.IF.A.1 For a function that models a relationship between two	A2.F.IF.A.1 For a function that models a relationship between two
	addressing?	quantities, interpret key features of graphs and tables in terms of the	quantities, interpret key features of graphs and tables in terms of the
		quantities, and sketch graphs showing key features given a verbal	quantities, and sketch graphs showing key features given a verbal
		description of the relationship. ★	description of the relationship.
		Foundational Standards: A1.F.IF.A.1, A1.N.Q.A.1	Foundational Standards: A1.F.IF.A.1, A1.N.Q.A.1
		A2.F.BF.B.3 Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, k $f(x)$, $f(kx)$, and $f(x + k)$ for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology. Foundational Standards: A1.F.IF.C.6a, A1.F.IF.C.6b	A2.S.ID.B.2 Represent data on two quantitative variables on a scatter plot and describe how the variables are related. Foundational Standards: 8.SP.A.3, A1.F.LE.A.1, A1.A.CED.A.2
2	What mathematical concepts are embedded in the state standard?	 Understand that: All quadratic functions are transformations of the parent function f(x) = x². The vertex form of a quadratic function highlights the key features of the function's graph and shows how the graph of the parent function can be transferred. Students create quadratic functions in vertex form that model graphed relationships between variables. Students relate quadratic functions to the parent function f(x) = x². Students express the vertex, axis of symmetry, domain, and range algebraically. Students identify whether a quadratic function opens upward or downward. Students use and interpret key features to graph quadratic functions and interpret these key features. 	 Understand that: A quadratic function in vertex form can be written in standard form to highlight different features of the function's graph. The key features are used to interpret values in context. Students create quadratic functions written in standard form. Students use the coefficients of the quadratic and linear terms to calculate the coordinates of the vertex and the axis of symmetry. (why) the constant term in the quadratic function provides the value of the y-intercept. Students identify key features of quadratic functions and relate them to the graphs of the function.

2	What teacher	Knowledge:	Knowledge:
3	What feacher knowledge, reminders, and misconceptions are assumed in the standard?	 Knowledge: This lesson emphasizes a blend of conceptual understanding and application. Students understand that all quadratic functions are transformations of the parent function. Students interpret key features of the graph of a quadratic function in terms of the quantities given in real-world problems, such as those describing projectile motion. Students make sense of problems involving quadratic functions and plan solution pathways based on the information provided. Students look for relationships between a quadratic function and its graph. Students use structure of the function in vertex form to rewrite a quadratic function in its equivalent standard form y = ax² + bx + c. Students create and graph quadratic functions in vertex form by identifying and interpreting the key features. Reminders and Misconceptions: Some students may switch the coordinate values when writing the vertex form of the equation of the parabola. Emphasize that h is the x-coordinate of the vertex and k is the y-coordinate of the vertex.	 Knowledge: This lesson emphasizes a blend of conceptual understanding and application. Students understand that the standard form a quadratic function can be used to find the vertex and axis of symmetry for the function's graph. Students apply the standard form of a quadratic function to solve real-world problems such as projectile motion problems. Students use the standard form of a quadratic function to represent a real-world situation where height is expressed as a function of time. Students find relationships involving a, h, and k by converting fro vertex form to standard form and then use it to identify the key features of the function's graph, including the vertex, axis of symmetry, maximum and minimum. Students rewrite quadratic function written in standard form by identifying its key features. Reminders and Misconceptions: Students identified the key features of a quadratic function written in vertex form and used those features to graph the function. When b is negative, students sometimes forget to include the negative sign when calculating the x-coordinate of the vertex because there is already a negative sign in the calculation when b is negative.
4	What objective(s) must be taught? In what order? Why?	 PBO: SWBAT graph the following functions, identify key features of the graph, and interpret the meaning of the key features in relationship to the context of the problem IOT solve a real-world problem. (square root function, cube root function, exponential function, polynomial function, logarithmic function) (A2.F.IF.A.1) SWBAT graph a square root, cube root, polynomial with degree greater than two, exponential, and logarithmic function by hand and using technology IOT explain the relationship that exists between a contextual problem and the key features of a graph. (A2.F.IF.B.3a) 	 PBO: SWBAT graph the following functions, identify key features of the graph, and interpret the meaning of the key features in relationship to the context of the problem IOT solve a real-world problem. (square root function, cube root function, exponential function, polynomial function, logarithmic function) (A2.F.IF.A.1) SWBAT write a function defined by an expression to model a quadratic or an exponential relationship given a real-world context IOT describe a given real-world context. (A2.F.BF.A.1) SWBAT fit a linear function to a given set of data, fit a quadratic function to a given set of data, where exponential functions are limited to domains not in the integers, IOT solve problems in the context of
		 Create quadradic functions in vertex form to represent relationships between variables as shown in their graphs. 	the data. (A2.S.ID.B.2a)

		Graph functions on coordinates axes using their key features.	Lesson objectives:
		Interpret key features of the graph of a quadratic function.	Create quadratic functions written in standard form.
			Identify key features of quadratic functions and graph a quadratic
			function written in standard form.
5	What academic	Academic Language:	Academic Language:
Ŭ	language must be taught	axis of symmetry -	context - situation used to describe the mathematical problem
	before the teacher	 context – a situation used to describe a mathematical problem 	• cube root – one of three identical factors of a number that is the
	models for students? How	• cube root – one of three identical factors of a number that is the	product of those factors
	will the academic	product of those factors	data – a collection of information or facts
	language be taught and	• degree – the amount, level, or extent to which something happens	domain – the set of input values of a function
	assessed?	or is present	• exponential function – a nonlinear function in which the
		explain – make clear by describing	independent value is an exponent in the equation, and can be
		exponential function – nonlinear function in which the independent value is an exponent in the equation, and can be	written in the following forms; $y = ab^x$, $y = a(1+r)^x$, or $y = a(1 - r)^x$
		independent value is an exponent in the equation, and can be	r)X
		written in the following forms; $y = ab^{-}$, $y = a(1+r)^{-}$, or $y = a(1 - y)^{-}$	 expression – a group of mathematical numbers and/or symbols
		r)×	representing a number or quantity
		 tunction – a relation in which every domain(input) value is paired with everthy one representation of the second se	 tunction – a relation in which every domain(input) value is paired with exactly one range (autput) value.
		pared with exactly one range(output) value.	paried with exactly one range(output) value.
		 graph – to piot, a pictorial diagram used to show a numerical relationship using distinctive plots lines, bars, etc. 	• graph – to plot
		identify _ to recognize and name: to make sense of and assign	meaning to the data
		meaning to the data	 integers – whole numbers and their opposites
		 interpret – explain the meaning of (information, words, action) 	 interpret – explain the meaning of (information, words, action)
		 key features – intercepts: interval where the function is 	• key features – intercepts; interval where the function is
		increasing, decreasing, positive, or negative; relative maximums	increasing, decreasing, positive, or negative; relative maximums
		and minimums; symmetries; end behavior; domain; as determined	and minimums; symmetries; end behavior; domain; as determined
		by the function or by context.	by the function or by context.
		 logarithmic function – the inverse of an exponential function 	 linear function – a function whose graph is a line and is
		 parabola - the graph of a quadratic function 	represented by a linear equation
		 polynomial - an expression of more than two algebraic terms, 	logarithmic function – the inverse of an exponential function
		especially the sum of several terms that contain different powers	 model – to describe or show mathematically make a mislifunction of many than two shades is
		of the same variable(s)	 polynomial function – a function of more than two algebraic torms, especially the sum of several terms that contain different.
		polynomial function – a function of more than two algebraic terms, can actively the sum of several terms that contain different.	nowers of the same variable(s)
		nowers of the same variable(s)	 problem a question that needs a solution
		 nroblem – a question that needs a solution 	
		• quadratic function - $f(x) = ax^2hx + c$ for constants a h c	ψ quadratic expression – expression while with a squared term
		with a not equal to zero and for x any real number	 quadratic function- I(x) – ax² + bx + c, for constants a, b, c with a not equal to zero and for x any real number.
		real-world – related to a concrete setting	 real-world - related to a concrete setting
		relationship – the way in which two or more concents	 relationship – the way in which two or more concepts
		are connected	are connected
1		solve – to find an answer	 solve - to apply an operation(s) in order to find a value; to find an
		 square root – one or two identical factors of a number that is the product of those factors. 	answer
			 square root – one of two identical factors of a number that is the product of those factors

		 turning point - of the graph of a function is a point where the graph changes direction from upwards to downwards or from downwards to upwards vertex - the point at which the graph of a parabola changes directions; the highest or lowest point on the graph of a parabola. vertex form of a quadratic function - the equation for a parabola in the form y = (a - h)² + k where the point (h, k) is the vertex. 	 standard form of a quadratic function - ax² + bx + c = 0; where a, b, c, are real numbers and a is not equal to zero vertex form of a quadratic function - the equation for a parabola in the form y = (a - h)² + k where the point (h, k) is the vertex write - to create using words, symbols, equations, expressions, etc.
		 Instructional Practice 2: Strategies used to teach unfamiliar words will include: 30 – 30 – 30 (common math-related word parts in the text, problem, or objective) Point of Use Annotation of the Performance-Based Objective Universal Language of Literacy Word and Definition Walls Word Parts Context Clues Point of Use Annotation of the Text (in Real-Time) 	 Instructional Practice 2: Strategies used to teach unfamiliar words will include: 30 – 30 – 30 (common math-related word parts in the text, problem, or objective) Point of Use Annotation of the Performance-Based Objective Universal Language of Literacy Word and Definition Walls Word Parts Context Clues Point of Use Annotation of the Text (in Real-Time)
6	What practice problems are you planning to use	Station Rotation Model Suggestions Teacher-Led Station: Teachers can work with students on additional We	Station Rotation Model Suggestions Teacher-Led Station: Teachers can work with students on additional We
	for the I Do, We Do, You	Do problems.	Do problems.
	Do in Pairs and You Do	 Additional Examples – TE pg. 73, pg. 75, pg. 76 	 Additional Examples – TE pg. 80, pg. 81, pg. 83
	Without Assistance?	 <u>2-1 Reteach to Build Understanding</u> 	 <u>2-2 Reteach to Build Understanding</u>
	What did you learn from		
	working the problems in	Unline Station: Students can watch and engage with Virtual Nerd Video	Unline Station: Students can watch and engage with Virtual Nerd Video
	advance of using them in	is or their opinion regarding an issue, and/or their thoughts based on a	is or their opinion regarding an issue, and/or their thoughts based on a
		prompt. Then the students will watch the video to decide as to whether their	prompt. Then the students will watch the video to decide as to whether their
		original assertion was accurate, justified, etc.	original assertion was accurate, justified, etc.
		 2-1: Virtual Nerd[™]: How do You Vertically Translate a Quadratic Europeino? 	 2-2: Virtual Nerd[™]: How Do You Convert a Quadratic Equation form Vortex Form to Standard Form?
		 <u>Punction</u> 2-1: Virtual Nerd[™]: What is Vertex Form of a Quadratic Function? 	 2-2: Virtual Nerd™: How Do You Write an Equation for a
			Quadratic if You Have Three Points?
		Offline Station: Students would complete problems and exercises selected	
		for the You Do in Pairs part of the lesson.	Offline Station: Students would complete problems and exercises selected
		 Lesson Performance Lask #38 – Pg. 79 2 1 Additional Practice 	Lesson Performance Task #31 – Pg 87
		2-1 Additional Fractice 2-1 Mathematical Literacy and Vocabulary	2-2 Additional Practice
		2-1 Enrichment	2-2 Mathematical Literacy and Vocabulary
			• 2-2 Enrichment

7	What manipulatives	Reference: Interactive Manipulatives	Reference: Interactive Manipulatives
'	might be integrated into	Didax Virtual Manipulatives	Didax Virtual Manipulatives
	the gradual release of	<u>Savvas Math Tools</u>	<u>Savvas Math Tools</u>
	responsibility (I Do, We	 <u>Realize Desmos (Graphing Calculator)</u> 	<u>Realize Desmos (Graphing Calculator)</u>
	Do, You Do in Pairs, You	<u>Realize Desmos (Scientific Calculator)</u>	<u>Realize Desmos (Scientific Calculator)</u>
	Do Without Assistance)?		
	What did you learn from		
	using the manipulatives		
	in advance of using them		
	in class with students?		
8	What graphic	Reference:	Reference:
U	organizer(s) might	Graphic Organizer Templates	Graphic Organizer Templates
	support students'	 <u>Google Drawing Graphic Organizers</u> 	 <u>Google Drawing Graphic Organizers</u>
	conceptual	<u>Teacher Vision</u>	<u>Teacher Vision</u>
	understanding of the		
	process outlined by the		
	performance-based		
	objective(s)?		